## Study and comparison of four forest structures on Mt. Chortiatis (northern Greece)

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#### Abstract

The purpose of this work is to study and analyze the forest structure in order to get a better understanding of an ecosystem. The chosen ecosystem for this work has been Mt. Chortiatis, near Thessaloniki, in northern Greece. The study area is in a slope of the mountain, between six hundreds and nine hundred meters of altitude. The climate for the area can be characterized as Mediterranean. We are going to compare four structures, a Castanea sativa, a Fagus sylvatica, a Carpinus orientalis and a Pinus nigra forest. For the study of the forest structure we have use a plot-less method, the Point-Centered Quarter Method, which is faster than the methods that use a plot. We have measure the distances from a point to the nearest tree in 4 squares, and the basal area to get the densities and covers of the species. Castanea sativa has been the species with the lowest density because the distances where the highest. On the other hand, Carpinus orientalis has the highest density. Looking at basal area, Castanea sativa has got the highest results, but Pinus nigra has got the highest absolute cover.

Lan honen helburua baso estruktura ikastea izan da, ekosistema hobeto ulertzeko. Lanerako aukeratu den ekosistema, Chortiatis mendia izan da, Thessalonika alboan dagoena, Greziaren iparraldean. Ikerketa area, mendiaren hego aurpegian kokatuta dago, seiehun eta bederatziehun metro bitartean. Zonaldean klima mediterraneoa da nagusi. Lau estruktura desberdinak ikertu dira, Castanea sativa, Fagus sylvatica, Carpinus orientalis eta Pinus nigra basoak. Baso estruktura ikertzeko area gabeko metodo bat erabili da, Point-Centered Quarter Method, area erabiltzen duten metodoak baino azkarragoa dena. Puntu batetik distantziak neurtu ditugu hurbilen dagoen zuhaitzari 4 koadrantetan, eta zuhaitz bakoitzaren azalera basimetrikoak lortzeko espezien dentsitateak eta azalerak. Castanea sativak izan du dentsitate baxuena distantziak handiagoak zirelako, eta beste aldean, Carpinus orientalisek izan du altuenena. Azalera basimetrikoari begiratuz, Castanea sativak izan du emaitza altuena, baina Pinus nigra izan du azalera absolutu handiena.


## Introduction

Forests are habitats in which the trees are the dominant form of vegetation. They occur in many regions and climates around the globe. The species composition is differentiated among forest types, with some forests consisting of many hundreds of species of trees (e.g. tropical ones), while others consist of just a handful of species (e.g. temperate forests) (Busgen and Munch, 1929).
"Forest structure" usually refers to the way in which the attributes of trees are distributed within a forest ecosystem (Gadow et al., 2012). The production and dispersal of seeds and the associated processes of germination, seedling establishment and survival are important factors of plant population dynamics and structure (Harper, 1977). Tree growth and the interactions between trees depend, to a large degree, on the structure of the forest.

Structure and diversity are important features which characterize a forest ecosystem. The evaluation of forest structure thus informs us about the distribution of tree attributes, including the spatial distribution of tree species and their dimensions for example (Gadow et al., 2012).

The method that is going to be used for our purpose is the point-centered quarter method, which belongs to a family of methods usually designated as "distance measurement methods," was developed by (Cottam and Curtis, 1956). One use of the point-centered quarter method is to determine the relative importance of the various tree species in a community (Mitchell, 2007). The term "importance" can mean many things depending on the context. An obvious factor influencing the importance of a species to a community is the number of trees present of that species. However, the importance of some number of small trees is not the same as the importance of the same number of large trees. So the size of the trees also plays a role. Further, how the trees are distributed throughout the community also has an effect. A number of trees of the same species clumped together should have a different importance value than the same number of trees distributed more evenly throughout the community (Mitchell, 2007).

Measuring importance can aid understanding the succession stages of a forest habitat. At different stages, different species of trees will dominate. Importance values are one objective way of measuring this dominance. The two main factors to determine the importance value of a species are the density and the size. Knowing the importance of the different tree species will help a lot to understand the structure of the forest.

The four forest types studied here are Fagus sylvatica, Castanea sativa, Carpinus orientalis and Pinus nigra forests on the Mt. Chortiatis. Below some important morphological, as well as ecological characteristics of the four studied forest species are given.

Fagus sylvatica's natural range extends from southern Sweden to central Italy, west to France, southern England, northern Portugal, central Spain, northern Greece and east to northwest Turkey (Von Wuehlisch, 2008). In the southern part of its range around the Mediterranean, it grows only in mountain forests, at 600-1,800 m (1,969$5,906 \mathrm{ft}$ ) altitude. It is a large tree, capable of reaching heights of up to 49 m tall and 3 m trunk diameter, though more typically is smaller and slimmer. Though not demanding of its soil type, the European beech has several significant requirements: a humid atmosphere (precipitation well distributed throughout the year and frequent fogs) and well-drained soil (it cannot handle excessive stagnant water). It prefers moderately fertile ground, calcified or slightly acidic, therefore it is found more often on the side of a hill than at the bottom of a clayey basin. It tolerates rigorous winter cold, but is sensitive to spring frost (Buschbom et all 2010),

The genus Castanea has been thought to have originated from Asia, in Tertiary period. Its westward migration resulted in the European chestnut Castanea sativa (Ketenoglu et all, 2010). Now it is widely dispersed throughout Europe and in some localities in temperate Asia (Conedera et all, 2004). It can reach up to 35 m tall, with a trunk up to about 2 m diameter. Castanea sativa has always been a very important tree for humans because the fruit, chestnut. It is a valuable resource for many Mediterranean mountainous areas, due to its edible fruits and good quality timber. That makes it one of the most important forest species in the Mediterranean forest basin (Constantinidis et al., 2007).

Carpinus orientalis is a hornbeam native from southeastern Europe to northern Iran. It is a small tree, rarely over 10 m tall and often shrubby. Carpinus orientalis is usually found in neutral soil, and respect to soil acidity has narrow ecological amplitude. It is adapted to high light intensity, but it has wide ecological amplitude for light (Karadzié et al., 1997).

Pinus nigra is a large coniferous evergreen tree that can appear in the Mediterranean forest from Spain to the Crimea, in Asia Minor and on Corsica/Cyprus, and in the high mountains of the Maghreb in North Africa (Piermattei et all, 2012). It has a medium to fast-growing rate, reaching until 20-25 meters tall at maturity. Its optimal distribution is between 800 and 1,500 ma.s.l. (Isajev et al. 2004). The crown has symmetrical canopy with a regular (or smooth) outline, and individuals have more or less identical crown forms. Usually adapted to basic soils, is a very tolerant species with respect to soil acidity. Pinus nigra is adapted to high light intensity, but it has wide ecological amplitude for light (Karadzié et al., 1997).

## Material and Methods

## 1-Study area:

The experimental area was confined on a slope of Mt. Chortiatis, about 20 km northeastern from Thessaloniki, Greece. The centroid coordinates of Mt. Chortiatis are $40.605612 \mathrm{~N}, 23.117766 \mathrm{E}$ and the elevation of the slope studied fluctuates between 600-900 m.


Figure 1. A map of northern Greece. The black spot indicates the location of Mt. Chortiatis.


Figure 2. The slope studied on Mt. Chortiatis. The green placemark indicates Pinus nigra stand; coordinates $40.587755,23.092562$. The blue placemark indicates Fagus sy/vatica stand; coordinates 40.587038, 23.124147. The pink placemark indicates Castanea sativa stand; coordinates 40.601018, 23.103126. The red placemark indicates Carpinus orientalis stand; coordinates 40.599128, 23.096388.

The climate can be characterized as Mediterranean, with a mean annual rainfall of 387.7 mm and mean monthly temperature in the range between $4.9-31.6^{\circ} \mathrm{C}$ (Hellenic National Meteorological Service, 2013). The upper 35 cm of soil consists of slightly gravelly, silty clay loams that gradually changes to stony and bouldery silty clay loam up to 50 cm depth.


Figure 3. Annual temperature in Mt . Chortiatis. (http://www.hortiatis570.gr/weather ; access date: 1/06/2013)

As it is show in Figure 3, the hottest season is summer, especially months June, July and August with average temperatures higher than 250 C . The temperatures decrease from August until January, which is the coldest month with a average temperature of $4,99^{\circ} \mathrm{C}$. After January the temperatures start rising again until July (Weather Station of Chortiati-Thessaloniki, 2013).


Figure 4. Annual humidity (\%) in Mt. Chortiatis (http://www.hortiatis570.gr/weather ; access data: 1/06/2013 )

As it is shown in Figure 4, the annual humidity is very high during the whole year. It goes under the $50 \%$ for few days, but usually it fluctuates around $60 \%$ in the warm season and $80 \%$ in the cold season (Weather Station of Chortiati-Thessaloniki, 2013).


Figure 5. Annual rain (mm) in Mt. Chortiatis.
(http://www.hortiatis570.gr/weather ; access date: 1/06/2013 )

As it is shown in Figure 5 the annual rain varies a lot during the year. In summer it barely rains. It starts a little in August and then goes increasing until February, where it gets the highest amount (an average of almost 140 mm ). In January there is has a significant decrease in rain, but that is explainable because the data that is shown is only the amount of rain, and in January, like is the coldest month, most of the rain is turn into snow, and it doesn't appear in the results (Weather Station of ChortiatiThessaloniki, 2013).

## 2-Data sampling:

The method used for describing forest structure is the Point Centered Quarter Method (Cottam \& Curtis, 1956). A wide variety of methods have been used to study forest structure parameters such as population density, basal area, and biomass. While these parameters are sometimes estimated using aerial surveys or photographs, most studies involve measurement of these characteristics for individual trees using a number of different field sampling methods. These methods fall into two broad categories: plot-based and plot-less (Mitchell, 2007).

Plot-based methods begin with one or more plots (quadrants, belts) of known area in which the characteristics of interest are measured for each plant. In contrast, plot-less methods involve measuring distances for a random sample of trees, typically along a transect, and recording the characteristics of interest for this sample (Mitchell, 2007).

The point-centered quarter method is one plot-less method. The advantage of using plot-less methods rather than standard plot-based techniques is that they tend to be more efficient. Plot-less methods are faster, require less equipment, and may require fewer workers. However, there is the opinion that plot-less methods have less accuracy compared to the plot-based methods. Nevertheless, point-centered quarter method is considered as one of the most accurate plot-less methods (Beasom \& Haucke, 1975), and thus, any loss of accuracy can be considered as very small.

The material that has been used in this study in order to apply the pointcentered quarter method were a GPS receiver (Global Positioning System), a laser distance meter, a meter, a compass, and plastic bags.

The sampling was made following a transect and leaving 50 meters between each sampling point. In each sampling point the exact coordinates and altitude have been measured. Using the compass, at each sampling point four quadrantal were divided. The first quadrantal was between north and east in the compass, the second between east and south, the third between south and west and the last one between west and north.

In each quadrantal, the tree nearest to the sampling point was located. Only individuals having diameter higher than 4 cm were considered. Then, the distance from the sampling point to the nearest tree was measured using the laser distance meter. These measurements were repeated in each of the four quarters. The height of all the four individuals per sampling point (nearest individuals) was measured using also the laser distance meter. In addition, the perimeter of the four trees was measured using the metre tape. The perimeter was measured at the breast height (more or less $1,3 \mathrm{~m}$ ).

In Figure 6, an example of the way that the measurements are done in a sampling point is presented.


Figure 6. An example of a sampling point.

## 3-Data analysis:

To start, is necessary to use the measures that have been taken in the field, the perimeter and height of each tree and the distance to the sampling point.

First of all,the perimeter ( P ) of each tree must be used to take the radio(r). Just divide the perimeter by $\mathrm{pi}^{2}(\pi)$.

## Equation 1.

$$
r=P / \pi^{2}
$$

Once the radio is taken, the next step was the basal area (A). In order to accomplish that, the radio ${ }^{2}$ was multiply by $\pi$.

Equation 2.

$$
A=\pi r^{2}
$$

After the basal area, is possible to take the average basal area $\left(A_{a}\right)$ for each tree. To do that, all the basal area (A) of the same specie must be taken and divided by the total number of trees ( 4 n ).

## Equation 3.

$$
A_{\mathrm{a}}=\frac{D}{4 n}
$$

The next step was to take the standard deviation for the basal area. $\chi_{\boldsymbol{i}}$ are the individual $x$ values for each basal area. Only values from the same species are used. $\bar{\chi}$ is the average basal area of the species. Once the average are taken, it is necessary to subtract the mean and square the result with each value ( $\mathcal{X}$, distance). Then, the mean of those squared differences is work out. We add up all the values and then divided by the total number (less one, because is $n-1$ ). To finish the square root is taken.

Equation 4.

$$
s=\sqrt[2]{\frac{1}{n-1}} \sum_{i=1}^{n}\left(\chi_{i}-\bar{\chi}\right)
$$

Once the calculations with the basal area are finished, it is possible to start with the distances. The first thing that must be taken is the total of distance for every tree.
$\mathrm{n}=$ the number of sample points along the transect (10 in these case)
$\mathrm{i}=$ a particular transect point, where $\mathrm{i}=1, \ldots ., \mathrm{n}$
$\mathrm{j}=\mathrm{a}$ quarter at a transect point, where $\mathrm{j}=1, \ldots ., 4$
$R_{i j}=$ the point-to-tree distance at point i in quarter j

## Equation 5.

$$
\sum_{i=1}^{5} \sum_{j=1}^{4} R_{i j}
$$

Then, the average distance $\left(D_{a}\right)$ for each tree must be taken. To do that, the distances ( $D$, the one above) are divided by the total number of trees ( $4 n$ ).

Equation 6.

$$
D_{\mathrm{a}}=\frac{D}{4 n}
$$

After the average distance is taken, it is possible to take the standard deviation of the distances. It is the same process that the one used for the standard deviation for the basal area. In this case $\boldsymbol{\chi}_{\boldsymbol{i}}$ are the individual x values for each distance, and $\bar{\chi}$ is the average distance of the specie.

Equation 7.

$$
s=\sqrt[2]{\frac{1}{n-1}} \sum_{i=1}^{n}\left(\chi_{i}-\bar{\chi}\right)
$$

Once the average distance and the standard deviation are taken, it is possible to start with the density. To get the absolute density of all trees this formula can be use:

Equation 8.

$$
\bar{r}=\frac{\sum_{i=1}^{n} \sum_{j=i}^{4} R_{\mathrm{ij}}}{4 n}
$$

Cottam, Curtis, and Hale (1953) showed empirically and Morisita (1954) demonstrated mathematically that $\bar{\Gamma}$ is actually an estimate of $\sqrt{1 / \lambda}$, the square root of the mean area occupied by a single tree. Consequently, an estimate of the density can be given by:

Equation 9.

$$
\text { Absolute density }(\lambda)=\frac{1}{\bar{r}^{2}}=\frac{16 n^{2}}{\left(\sum_{i=1}^{n} \sum_{j=1}^{4} R_{i j}\right)^{2}}
$$

When the overall absolute density is taken it is possible to take the absolute densities of each species. To get the absolute density of $K$ specie $\left(\lambda_{k}\right)$ the absolute density $(\lambda)$ must be multiply by the number of trees of $K$ specie $\left(4 n_{\mathrm{k}}\right)$ divided by the total number of trees $(4 n)$.

## Equation 10.

$$
\lambda_{\mathrm{k}}=\lambda \times\left(4 n_{\mathrm{k}} / 4 n\right)
$$

After that, the relative densities of each species can be taken. The relative density of $K$ specie will be the absolute density of $K$ specie $\left(\lambda_{k}\right)$ divided by absolute density $(\lambda)$ and multiply that by 100 .

Equation 11.

$$
\text { Relative density }(\text { Species } k)=\frac{\hat{\lambda} \kappa}{\hat{\lambda}} \times 100
$$

Now that the densities are taken, it is possible to start taking the covers( $C$ ). The absolute cover of $K$ specie $\left(C_{k}\right)$ is the average basal area $\left(A_{a}\right)$ of that specie multiply by absolute density of that specie, and then divided by 10000.

Equation 12.

$$
C_{\mathrm{k}}=\left(\lambda_{\mathrm{k}} \times A_{\mathrm{a}}\right) / 10000
$$

After the absolute cover is taken, the next step is to take the relative cover. The relative cover of $K$ specie is the absolute cover of $K$ specie divided by the addition of the absolute covers of all species.

Equation 13.

## Results:

In Table 1 all the parameters (coordinates, orientation of each quarter, species, distance, height, perimeter, radio, diameter and area) measured in all the sampling points within Fagus sylvatica stands are presented. In the following tables (Tables 2, 3 and 4) the corresponding parameters for Castanea sativa, Carpinus orientalis and Pinus nigra stands, respectively, are presented.

Table 1. Parameters measured within Fagus sylvatica forest. The data content coordinates, orientation of each quarter, species, distance, height, perimeter, radio, diameter and area.
Yellow color indicates the minimum values of distance per sampling point.


Table 2. Parameters measured within Castanea sativa forest. The data content coordinates, orientation of each quarter, species, distance, height, perimeter, radio, diameter and area.
Yellow color indicates the minimum values of distance per sampling point.


Table 3. Parameters measured within Carpinus orientalis forest. The data content coordinates, orientation of each quarter, species, distance, height, perimeter, radio, diameter and area. Yellow color indicates minimum values of distance per sampling point.

| Random Point | Orientation | Species | Distance (m) | Height (m) | Perimeter (cm) | Radio (cm) | Diameter (cm) | Area |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Random Point 1 | N-E | Q. coccifera | 2,66 | 2,74 | 40 | 6,369426752 | 12,7388535 | 127,388535 |
| N 40 $36{ }^{\prime} 00,1^{\prime \prime}$ | E-S | C. orientalis | 1,71 | 4,66 | 21,6 | 3,439490446 | 6,878980892 | 37,1464968 |
| S 023o 05' 46,5' | S-W | C. orientalis | 2,05 | 4,38 | 21,4 | 3,407643312 | 6,815286624 | 36,4617834 |
| 661M | W-N | C. orientalis | 1,79 | 3,06 | 22 | 3,503184713 | 7,006369427 | 38,5350318 |
|  |  | 8,21 | 2,0525 |  |  |  |  | 37,381104 |
|  |  |  |  |  |  |  |  |  |
| Random Point 2 | N-E | C. orientalis | 3,08 | 4,48 | 24/24/25/17 | 3,98089172 | 7,961783439 | 49,7611465 |
| N 40 $35{ }^{\prime} 56,4{ }^{\prime \prime}$ | E-S | C. orientalis | 2,18 | 4,26 | 20/17/20 | 3,184713376 | 6,369426752 | 31,8471338 |
| S 023o 05' 44,5' | S-W | C. orientalis | 2,15 | 4,61 | 17 | 2,707006369 | 5,414012739 | 23,0095541 |
| 730M | W-N | J. oxycedrus | 1,51 | 4,28 | 7/18/20/21 | 3,343949045 | 6,687898089 | 35,111465 |
|  |  | 8,92 | 2,23 |  |  |  |  | 34,8726115 |
|  |  |  |  |  |  |  |  |  |
| Random Point 3 | N-E | I. aquifolium | 1,49 | 2,5 | 20 | 3,184713376 | 6,369426752 | 31,8471338 |
| N 40 ${ }^{\text {35' }} 55,5^{\prime \prime}$ | E-S | I. aquifolium | 2,31 | 2,65 | 20,8 | 3,312101911 | 6,624203822 | 34,4458599 |
| S 0230 05' 43,3' | S-W | C. orientalis | 3,25 |  | 9/9/12,4 | 1,974522293 | 3,949044586 | 12,2420382 |
| 729 M | W-N | C. orientalis | 1,2 | 4,13 | 6/7/17/21/26 | 4,140127389 | 8,280254777 | 53,8216561 |
|  |  | 8,25 | 2,0625 |  |  |  |  | 33,0318471 |
|  |  |  |  |  |  |  |  |  |
| Random Point 4 | N-E | J. oxycedrus | 0,918 | 1,06 | 13,2 | 2,101910828 | 4,203821656 | 13,8726115 |
| N 40 $35^{\prime} 54,2^{\prime \prime}$ | E-S | I. aquifolium | 1,668 | 1,74 | 16 | 2,547770701 | 5,095541401 | 20,3821656 |
| S 023o 05' 42,1" | S-W | Q. coccifera | 4,486 | 8,749 | 42,44 | 6,757961783 | 13,51592357 | 143,403949 |
| 736M | W-N | C. orientalis | 1,564 | 4,46 | 24,6 | 3,917197452 | 7,834394904 | 48,1815287 |
|  |  | 8,636 | 2,159 |  |  |  |  | 48,1815287 |
|  |  |  |  |  |  |  |  |  |
| Random Point 5 | N-E | C. orientalis | 1,516 | 1,61 | 13,8 | 2,197452229 | 4,394904459 | 15,1624204 |
| N 40 $35{ }^{\prime} 52,4{ }^{\prime \prime}$ | E-S | J. oxycedrus | 1,547 | 0,98 | 12,4 | 1,974522293 | 3,949044586 | 12,2420382 |
| S 0230 05' 40,9'1 | S-W | I. aquifolium | 1,57 | 2,17 | 14 | 2,229299363 | 4,458598726 | 15,6050955 |
| 730M | W-N | I. aquifolium | 1,013 | 2,31 | 16,2 | 2,579617834 | 5,159235669 | 20,8949045 |
|  |  | 5,646 | 1,4115 |  |  |  |  | 15,1624204 |
|  |  |  |  |  |  |  |  |  |
| Random Point 6 | N-E | C. orientalis | 1,592 | 3,95 | 17,8/17,6 | 2,834394904 | 5,668789809 | 25,2261146 |
| N 40 $36{ }^{\prime} 04,0^{\prime \prime}$ | E-S | C. orientalis | 1,512 | 4,46 | 18,8 | 2,993630573 | 5,987261146 | 28,1401274 |
| S 023o 05' 49,5' | S-W | C. orientalis | 0,969 | 4,12 | 17,4/18,2 | 2,898089172 | 5,796178344 | 26,3726115 |
| 631M | W-N | C. orientalis | 1,586 | 4,92 | 28,8 | 4,585987261 | 9,171974522 | 66,0382166 |
|  |  | 5,659 | 1,41475 |  |  |  |  | 36,4442675 |
|  |  |  |  |  |  |  |  |  |
| Random Point 7 | N-E | C. orientalis | 1,115 | 4,28 | 21 | 3,343949045 | 6,687898089 | 35,111465 |
| N 40 $36{ }^{\prime} 04,1^{\prime \prime}$ | E-S | C. orientalis | 0,678 | 3,82 | 16,6 | 2,643312102 | 5,286624204 | 21,9394904 |
| S 023o 05' 49,6" | S-W | C. orientalis | 1,863 | 3,66 | 16,4 | 2,611464968 | 5,222929936 | 21,4140127 |
| 705M | W-N | Q. coccifera | 1,048 | 6,1 | 26,2 | 4,171974522 | 8,343949045 | 54,6528662 |
|  |  | 4,704 | 1,176 |  |  |  |  | 26,1549894 |
|  |  |  |  |  |  |  |  |  |
| Random Point 8 | N-E | I. aquifolium | 2,027 | 1,62 | 14,4 | 2,292993631 | 4,585987261 | 16,5095541 |
| N 40 $36{ }^{\prime} 03,5{ }^{\prime \prime}$ | E-S | C. orientalis | 1,526 | 4,64 | 26,4/19,8/18 | 4,203821656 | 8,407643312 | 55,4904459 |
| S 0230 05' 48,9'1 | S-W | C. orientalis | 1,297 | 5,08 | 25,6/16,8 | 4,076433121 | 8,152866242 | 52,1783439 |
| 702M | W-N | C. orientalis | 1,176 | 4,96 | 28 | 4,458598726 | 8,917197452 | 62,4203822 |
|  |  | 6,026 | 1,5065 |  |  |  |  | 56,6963907 |
|  |  |  |  |  |  |  |  |  |
| Random Point 9 | N-E | C. orientalis | 1,343 | 4,68 | 21,8 | 3,47133758 | 6,942675159 | 37,8375796 |
| N 40 $366^{\prime} 02,5^{\prime \prime}$ | E-S | C. orientalis | 1,586 | 6,24 | 32/21,2 | 5,095541401 | 10,1910828 | 81,5286624 |
| S 023o 05' 47, ${ }^{\prime \prime}$ | S-W | C. orientalis | 0,863 | 1,79 | 13,6 | 2,165605096 | 4,331210191 | 14,7261146 |
| 706M | W-N | C. orientalis | 1,64 | 4,32 | 20,6 | 3,280254777 | 6,560509554 | 33,7866242 |
|  |  | 5,432 | 1,358 |  |  |  |  | 41,9697452 |
|  |  |  |  |  |  |  |  |  |
| Random Point 1 $1 \mathrm{CN}-\mathrm{E}$ |  | C. orientalis | 1,78 | 4,56 | 21,6 | 3,439490446 | 6,878980892 | 37,1464968 |
| N 40 $36{ }^{\prime} 01,8^{\prime \prime}$ | E-S | Q. coccifera | 1,56 | 6,8 | 33,8 | 5,382165605 | 10,76433121 | 90,9585987 |
| S 0230 05' 47, ${ }^{\prime \prime}$ | S-W | J. communis | 0,97 | 4,53 | 20,8 | 3,312101911 | 6,624203822 | 34,4458599 |
| 705M | W-N | C. orientalis | 2,06 | 4,21 | 22,4 | 3,566878981 | 7,133757962 | 39,9490446 |
|  |  | 6,37 | 1,5925 |  |  |  |  | 38,5477707 |

Table 4. Parameters measured within Pinus nigra forest. The data content coordinates, orientation of each quarter, species, distance, height, perimeter, radio, diameter and area. Yellow color indicates the minimum values of distance per sampling point.

| Random Point | Orientation | Species | Distance (m) | Height (m) | Perimeter (cm) | Radio (cm) | Diameter (cm) | Area |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Random Point 1 | N-E | P. nigra | 0,91 | 10,21 | 47,2 | 7,515923567 | 15,03184713 | 177,375796 |
| N 40 ${ }^{\text {35' }} 04,6{ }^{\prime \prime}$ | E-S | P. nigra | 2,61 | 19,38 | 117 | 18,63057325 | 37,2611465 | 1089,88854 |
| S 0230 06' $23,7{ }^{\prime \prime}$ | S-W | P. nigra | 4,19 | 18,86 | 107,8 | 17,1656051 | 34,33121019 | 925,226115 |
| 912M | W-N | F. sylvatica | 3,52 | 4,96 | 41,2 | 6,560509554 | 13,12101911 | 135,146497 |
|  |  | 11,23 | 2,8075 |  |  |  |  | 730,830149 |
|  |  |  |  |  |  |  |  |  |
| Random Point 2 | N-E | P. nigra | 2,82 | 10,08 | 46,2 | 7,356687898 | 14,7133758 | 169,93949 |
| N 409 35' 04,4" | E-S | P. nigra | 3,17 | 15,1 | 73,4 | 11,68789809 | 23,37579618 | 428,94586 |
| S 023o 06' $22,0{ }^{\prime \prime}$ | S-W | P. nigra | 2,99 | 17,92 | 100,2 | 15,95541401 | 31,91082803 | 799,366242 |
| 918M | W-N | P. nigra | 1,97 | 17,35 | 96 | 15,2866242 | 30,57324841 | 733,757962 |
|  |  | 10,95 | 2,7375 |  |  |  |  | 533,002389 |
|  |  |  |  |  |  |  |  |  |
| Random Point 3 | N-E | P. nigra | 3,07 | 17,45 | 109,6 | 17,4522293 | 34,9044586 | 956,382166 |
| N 40 $35{ }^{\prime} 03,2^{\prime \prime}$ | E-S | P. nigra | 2,41 | 18,89 | 101,6 | 16,17834395 | 32,3566879 | 821,859873 |
| S 023o 06' $20,8{ }^{\prime \prime}$ | S-W | P. nigra | 2,33 | 17,28 | 91,2 | 14,52229299 | 29,04458599 | 662,216561 |
| 901M | W-N | P. nigra | 4,8 | 15,64 | 78 | 12,42038217 | 24,84076433 | 484,394904 |
|  |  | 12,61 | 3,1525 |  |  |  |  | 731,213376 |
|  |  |  |  |  |  |  |  |  |
| Random Point 4 | N-E | P. nigra | 1,6 | 19,08 | 119 | 18,94904459 | 37,89808917 | 1127,46815 |
| N 40 $35{ }^{\prime} 01,2^{\prime \prime}$ | E-S | P. nigra | 2,63 | 18,1 | 103,6 | 16,49681529 | 32,99363057 | 854,535032 |
| S 0230 06' $21,0{ }^{\prime \prime}$ | S-W | P. nigra | 1,51 | 17,75 | 86,2 | 13,72611465 | 27,4522293 | 591,595541 |
| 909M | W-N | P. nigra | 3,42 | 17,66 | 82 | 13,05732484 | 26,11464968 | 535,350318 |
|  |  | 9,16 | 2,29 |  |  |  |  | 777,237261 |
|  |  |  |  |  |  |  |  |  |
| Random Point 5 | N-E | P. nigra | 1,77 | 14,92 | 72,2 | 11,49681529 | 22,99363057 | 415,035032 |
| N 400 35' 00,9" | E-S | P. nigra | 2,86 | 17,36 | 82,4 | 13,12101911 | 26,24203822 | 540,585987 |
| S 023o 06' 19,6" | S-W | P. nigra | 4,85 | 18,13 | 98 | 15,60509554 | 31,21019108 | 764,649682 |
| 916M | W-N | P. nigra | 4,39 | 17,86 | 82,6 | 13,15286624 | 26,30573248 | 543,213376 |
|  |  | 13,87 | 3,4675 |  |  |  |  | 565,871019 |
|  |  |  |  |  |  |  |  |  |
| Random Point 6 | N-E | P. nigra | 2,89 | 13,48 | 65,6 | 10,44585987 | 20,89171975 | 342,624204 |
| N 400 34' 59,3" | E-S | P. nigra | 3,42 | 17,27 | 86,8 | 13,82165605 | 27,6433121 | 599,859873 |
| S 0230 06' 19,1" | S-W | P. nigra | 2,87 | 18,24 | 102,6 | 16,33757962 | 32,67515924 | 838,117834 |
| 921M | W-N | P. nigra | 4,12 | 16,89 | 80,2 | 12,77070064 | 25,54140127 | 512,105096 |
|  |  | 13,3 | 3,325 |  |  |  |  | 573,176752 |
|  |  |  |  |  |  |  |  |  |
| Random Point 7 | N-E | P. nigra | 2,23 | 18,14 | 96,8 | 15,41401274 | 30,82802548 | 746,038217 |
| N 40 $34{ }^{\prime} 57,8^{\prime \prime}$ | E-S | P. nigra | 2,58 | 20,78 | 119,8 | 19,07643312 | 38,15286624 | 1142,67834 |
| S 023o 06' 18,6" | S-W | P. nigra | 3,12 | 18,38 | 102,8 | 16,36942675 | 32,7388535 | 841,388535 |
| 923M | W-N | P. nigra | 1,98 | 18,3 | 103,2 | 16,43312102 | 32,86624204 | 847,949045 |
|  |  | 9,91 | 2,4775 |  |  |  |  | 894,513535 |
|  |  |  |  |  |  |  |  |  |
| Random Point 8 | N-E | P. nigra | 1,92 | 9,78 | 42,8 | 6,815286624 | 13,63057325 | 145,847134 |
| N 40 34' 57,3" | E-S | P. nigra | 3,46 | 13,24 | 68,2 | 10,85987261 | 21,71974522 | 370,321656 |
| S 023o 06' 19,1" | S-W | P. nigra | 3,88 | 15,92 | 77,6 | 12,3566879 | 24,7133758 | 479,43949 |
| 919M | W-N | P. nigra | 1,78 | 15,48 | 75,1 | 11,95859873 | 23,91719745 | 449,045382 |
|  |  | 11,04 | 2,76 |  |  |  |  | 361,163416 |
|  |  |  |  |  |  |  |  |  |
| Random Point 9 | N-E | P. nigra | 2,28 | 15,86 | 78,2 | 12,4522293 | 24,9044586 | 486,882166 |
| N 40 $34{ }^{\prime} 56,5{ }^{\prime \prime}$ | E-S | P. nigra | 3,43 | 17,33 | 91,8 | 14,61783439 | 29,23566879 | 670,958599 |
| S 023o 06' 18,4" | S-W | P. nigra | 1,25 | 17,48 | 89,2 | 14,20382166 | 28,40764331 | 633,490446 |
| 920M | W-N | P. nigra | 4,15 | 16,91 | 82,2 | 13,08917197 | 26,17834395 | 537,964968 |
|  |  | 11,11 | 2,7775 |  |  |  |  | 582,324045 |
|  |  |  |  |  |  |  |  |  |
| Random Point 10 | N-E | P. nigra | 3,42 | 10,82 | 48,4 | 7,707006369 | 15,41401274 | 186,509554 |
| N 40 $34{ }^{\prime} 54,9^{\prime \prime}$ | E-S | P. nigra | 2,36 | 17,37 | 90 | 14,33121019 | 28,66242038 | 644,904459 |
| S 023o 06' 17, ${ }^{\prime \prime}$ | S-W | P. nigra | 2,05 | 18,43 | 103,2 | 16,43312102 | 32,86624204 | 847,949045 |
| 925M | W-N | P. nigra | 3,45 | 17,88 | 93,6 | 14,9044586 | 29,8089172 | 697,528662 |
|  |  | 11,28 | 2,82 |  |  |  |  | 594,22293 |



Figure 7. The average distance for the four species.

In the Figure $\mathbf{7}$ it is shown the average of the distances within each sampling point for the four species. Castanea sativa has the highest average of distance. The next higher average is Fagus sy/vatica, followed from very close by Pinus nigra. Finally, Carpinus orientalis has the lowest average, less than the half of Castanea sativa.


Figure 8. A box and whisker figure with the average distances of each species.

Table 5. The minimum, first and third quartiles, maximum and median values of distances $\left(\mathrm{cm}^{2}\right)$ for the four studied species.

|  | Fagus sylvatica | Castanea sativa | Carpinus orientalis | Pinus nigra |
| ---: | ---: | ---: | ---: | ---: |
| Min | 1,45 | 1,6 | 0,678 | 0,91 |
| $\mathrm{Q}_{1}$ | 2,1925 | 2,955 | 1,3085 | 2,14 |
| Median | 3 | 4,7 | 1,586 | 2,86 |
| $\mathrm{Q}_{3}$ | 3,99 | 5,9 | 1,84475 | 3,425 |
| Max | 5,7 | 9,608 | 3,25 | 4,85 |

Castanea sativa has the highest average distance with a maximum of $9,608 \mathrm{~m}$ and a median of $4,7 \mathrm{~m}$. The $\mathrm{Q}_{1}$ is almost as big as the maximum of Carpinus orientalis and is bigger than the median of Pinus nigra. Castanea sativa has also the highest $Q_{3}$, $5,9 \mathrm{~m}$. It is also the one with bigger dispersal, being 8 m of difference between the maximum and minimum. The next with highest distances is Fagus sylvatica. However, the maximum of Fagus sylvatica $(5,7 \mathrm{~m})$ is smaller than the $\mathrm{Q}_{3}$ of Castanea sativa. The median is twice the Carpinus orientalis median. The most remarkable thing about the Pinus nigra is that there is a small difference between the median and the both $\mathrm{Q}_{1}$ and $\mathrm{Q}_{3}$ (Table 5).


Figure 9.The standard deviation of the average distances $(m)$ of the four species.

The highest standard deviation is the one of $C$. sativa. Then, with a bit more than the half goes the $F$. silvatica. The next standard deviation is the $P$. nigra with the half of $C$. sativa and the lowest is the $C$. orientalis with a little bit more than a quarter of $C$. sativa (Table 6).


Figure 10. Average basal area $\left(\mathrm{cm}^{2}\right)$ for each species.

In Figure 10 there is a comparison between the average basal areas of the four species. Castanea sativa has the highest average basal area, $1000 \mathrm{~cm}^{2}$ aproximately. Pinus nigra has the second higher basal area, a little bit more than $600 \mathrm{~cm}^{2}$ followed by the Fagus sy/vatica with a little bit more than $400 \mathrm{~cm}^{2}$. The smallest average basal area is for Carpinus orientalis, which never goes higher than $60 \mathrm{~cm}^{2}$.


Figure 11. A box and whisker figure with the basal areas of each species.

Table 6. The minimum, first and third quartiles, maximum and median values of distances $\left(\mathrm{cm}^{2}\right)$ for the four studied species.

|  | Fagus sylvatica | Castanea sativa | Carpinus orientalis | Pinus nigra |
| ---: | ---: | ---: | ---: | ---: |
| Min | 51,77 | 112,56 | 12,24 | 145,84 |
| Q $_{1}$ | 155,91 | 548,635 | 25,5075 | 481,91 |
| Median | 336,235 | 887,84 | 36,8 | 633,49 |
| $Q_{3}$ | 477,455 | 1286,215 | 49,365 | 829,9805 |
| Max | 1767,54 | 2689,68 | 81,52 | 1142,67 |

Is it very clear that the Carpinus orientalis has the lowest basal area. The highest basal area is lower than the minimum basal area of the Castanea sativa and Pinus nigra. The median is more or less ten times smaller than the median of Fagus sylvatica, which is the next smaller average. Carpinus orientalis has also the smallest dispersal. Castanea sativa has by far the highest results in everything, followed in almost all the cases by Pinus nigra and Fagus sylvatica respectively. Pinus nigra has a small difference between Q1 and Q3, which indicates a low dispersal. On the other hand Fagus sylvatica has a big difference between his results. For example the maximum distance is three times bigger than the $Q_{3}$, which implies a high dispersal.(Table 6).


Figure 12. The standard deviation for the basal area.

Castanea sativa has the highest standard deviation for the basal area, around six hundreds (Figure 12). The second is Fagus sylvatica followed by Pinus nigra. The smallest, less than $20 \mathrm{~cm}^{2}$ is Carpinus orientalis.


Figure 13. The relation between the diameter and height in Fagus sylvatica.

In Figure 13 it is showed the relation between the diameter and the height of Fagus sylvatica. When the diameter is higher, the height also is higher in almost all the cases. Looking at the tendency line, the highest $\mathrm{R}^{2}$ has been resulted using the logarithmic model.


Figure 14. The relation between the diameter and height in Castanea sativa.

In Figure 14 it is showed the relation between the diameter and the height of Castanea sativa. When the diameter is higher, the height also is higher in almost all the cases. Looking at the tendency line the highest $R^{2}$ has been taken using the polynomial model.


Figure 15. The relation between the diameter and height in Carpinus orientalis.
In Figure 15 it is showed the relation between the diameter and the height of Carpinus orientalis. When the diameter is higher, the height also is higher in almost all the cases. Looking at the tendency line the highest $R^{2}$ has been taken using the logarithmic model. Carpinus orientalis has the lowest $R^{2}$ of all species.


Figure 16. The relation between the diameter and height in Pinus nigra.

In Figure 16 it is showed the relation between the diameter and the height of Pinus nigra. When the diameter is higher, the height also is higher in almost all the cases. Looking at the tendency line the highest $R^{2}$ has been taken using the polynomial model. Pinus nigra has the highest $\mathrm{R}^{2}$ of all species.


Figure 17. The absolute densities (trees/Ha) of the four species.

Carpinus orientalis has the highest absolute density (2258,89 tree/Ha). Then, with just the half goes the Pinus nigra. Just with a little bit less Fagus sylvatica and finally Castanea sativa with the lowest density, only 443,8659 tree/Ha (Table 8).

Table 7. Relative densities (in percentages) of the four species.

| Species | Relative |
| :--- | ---: |
| density (\%) |  |, | F. sylvatica |
| ---: |

The relative density of 3 species (Fagus sylvatica, Castanea sativa and Pinus nigra) is more than $94 \%$. The relative density of Carpinus orientalis is much lower, with just a 65\% (Table 7).


Figure 18. The absolute covers ( $\mathrm{m}^{2} / \mathrm{Ha}$ ) of the four species.

The species with more absolute cover by far is the Pinus nigra with 75,241 $\mathrm{m}^{2} / \mathrm{Ha}$. The next one is the Castanea sativa, followed by Fagus sylvatica (which has more or less half the absolute cover of the Pinus nigra), and the one with less absolute cover is the Carpinus orientalis with just $8,672 \mathrm{~m}^{2} / \mathrm{Ha}$ (Table 10).

Table 8. Relative covers (in percentages) of the four species.

| Species | Relative <br> cover (\%) |
| :--- | ---: |
| F. sylvatica | 96,353 |
| C. sativa | 99,605 |
| C. orientalis | 60,191 |
| P. nigra | 99,456 |

If we look at the relative covers, we see that in 3 cases (Fagus sylvatica, Castanea sativa and Pinus nigra) the relative cover is more than $95 \%$, and in the case of the Carpinus orientalis is far below, with just a $60 \%$ (Table 8).

## Discussion

The absolute density for Castanea sativa in the Hortiatis Mountain is 443,86 trees/Ha. Comparing to other works the result is remarkable lower. For example Colin-Belgrand et al. (1996), obtained an absolute density of 4707,33 trees/Ha. This study was made in Melle (Deux-Se'vres, France), in a forest planted by humans, as the forest of Mt. Chortiatis. The difference of the density occurs because of the difference of objectives at planting. In the Castanea sativa forest of Mt. Chortiatis the objective was to recollect the fruits of the tree. For this purpose they wanted to have trees with the maximum cover it was possible, so they planted leaving big spaces between each tree, and therefore the density is very low. They also cut any small tree that try to appear between the planted ones. On the other hand, in the forest of France, the objective was to take as much wood as possible, so they planted all the trees living the less space possible, which has resulted in a really high density.

In a similar study, Regina et al. (2001), got four absolute densities; 1895 trees/Ha, 5668 trees/Ha, 3970 trees/Ha and 2706 trees/ Ha . All the densities are much higher than the one taken in Mt. Chortiatis (443, 86 trees/Ha). In the same work they also study the basal area and cover. The cover for the Castanea sativa in Mt. Chortiatis
is $45,04 \mathrm{~m}^{2} / \mathrm{Ha}$. In their study the results are $26 \mathrm{~m}^{2} / \mathrm{Ha}, 28,1 \mathrm{~m}^{2} / \mathrm{Ha}, 26 \mathrm{~m}^{2} / \mathrm{Ha}$, and $33,5 \mathrm{~m}^{2} / \mathrm{Ha}$. In all the cases their result has been lower than ours. Both comparisons support our theory, that the forest of Castanea sativa in Mt. Chortiatis was planted by humans to get the chestnut.

The absolute density for the Pinus nigra in the Mt. Chortiatis is 1190,74 trees/Ha. This result is remarkable higher than others. Del Cerro Barja et al. (2009), got the absolute density of Pinus nigra in six localities. The smallest result was 265 trees/Ha and the highest 555 trees/Ha, with an average of 394,33 trees/Ha. This study was made in Spain, in a Mediterranean climate similar to the one in the Mt. Chortiatis. We assume that this difference occur because the forest was abandon just after being planted for economical reasons, and was never pruned. As a planted forest, it is supposed that they planted the trees regularly, taking approach of all the space they could, so later they can cut the weakest trees (or the ill ones).

The absolute density for Fagus sy/vatica in the Hortiatis Mountain is 963,37 trees/Ha. Similar density numbers have been found also in F. sylvatica forest in Italy, in a Mediterranean climate, very similar to the climate in Chortiatis. Specifically, Choa et al. (2009), have measured density of 1208 trees/Ha, which matches with our results. With the Carpinus orientalis our results were also similar compared to other works.

Castanea sativa has the highest average basal area ( $887,84 \mathrm{~cm}^{2}$ ), followed by the Pinus nigra $\left(633,49 \mathrm{~cm}^{2}\right.$ ). However, Pinus nigra has the highest absolute cover $\left(75,241 \mathrm{~m}^{2} / \mathrm{Ha}\right)$. The Castanea sativa absolute cover is only $45,046 \mathrm{~m}^{2} / \mathrm{Ha}$. It is expected that with bigger basal area, higher absolute cover will be found. In this case, the explanation is that the Pinus nigra forest has an extremely high density. Being the density so high, it overcomes the basal area. The high density of the Pinus nigra forest is explainable because of being a human planted forest. The results of the $R^{2}$ conducted to the same assumption. All were planted with the same bases, so all the trees have more chances of having similar height/diameter correlations.

It is remarkable that although the Pinus nigra has a bigger average of basal area than the Fagus sylvatica, the last one has a bigger standard deviation. The reason is that the Fagus sylvatica basal areas were much more dispersed than the Pinus nigra basal areas (they were very similar, in a more close range). We assume that this occurs because the Pinus nigra forest is not a natural forest, unlike the Fagus sylvatica forest. This means that most of the trees of the Pinus nigra forest were planted at the same time, so most of them will have the same age, and therefore, a more or less similar basal area too.

Looking at the relatives densities, it may look weird to see three results that are $95 \%$ or higher (Pinus nigra, Castanea sativa and Fagus sylvatica). In the case of the

Pinus nigra the answer to the extremely high relative cover is that is a planted forest. This means that they planted only Pinus nigra, so it is difficult for other species to invade the ecosystem. For the Castanea sativa it is the same. It is also a planted forest, and it were only planted Castanea sativa trees. The case of Fagus sy/vatica is different. It is an extremely shade tolerant specie, so the natural process of the Fagus sylvatica is to cover every empty space. Apart from that, it is a very competitive specie, which usually tries to cover all by himself. This makes the life for other species difficult or impossible, so there are just a few individuals from other species.

With the relative covers the situation is exactly the same, there are three species with results higher than the $95 \%$ (Pinus nigra, Castanea sativa and Fagus sylvatica). The answer to these results is practically the same as for the relative densities.

## Conclusion:

Carpinus orientalis has the highest absolute density (2258,89 tree/Ha), almost the double of the second species (Pinus nigra, $1190,74049 \mathrm{~m}^{2} / \mathrm{Ha}$ ). However, it has the biggest tree diversity too (that's the reason of having the smallest relative density). Although the highest basal are was for Castanea sativa ( $1014,85 \mathrm{~cm}^{2}$ ), Pinus nigra has the highest absolute cover ( $75,241 \mathrm{~m}^{2} / \mathrm{Ha}$ ) due to his high density. On the other hand Carpinus orientalis get the lowest average basal area and absolute cover (with a significant difference, just $8,672 \mathrm{~m}^{2} / \mathrm{Ha}$ ). It has to be mentioned that the Pinus nigra forest and Castanea sativa forest where planted by humans and both have a different structure from what it is expected to find. The density of the Castanea sativa is lower $\left(443,8659 \mathrm{~m}^{2} / \mathrm{Ha}\right)$ than the one that was expected to be found. On the other hand Pinus nigra has a higher density $\left(1190,74049 \mathrm{~m}^{2} / \mathrm{Ha}\right)$ than the one that was expected to be found.

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